

Statistical analysis of the interplay between magnetic fields and filaments hosting PGCCs

Dana Alina

GCC meeting in Besançon
(remotely from Astana)

Star formation: gravity, turbulence, magnetic field, ...

- Weak

Turbulence conducts to overdensities & also provides support (with gas pressure) against gravity

- Strong

Gravitation
↓
Gravitational contraction is guided by the field lines (Nakamura & Li 2008):
filamentary structures \perp B

Turbulence
↓
Matter is elongated along the field lines (Stone et al 1998):
filamentary structures \parallel B

(some) Observational results

- using Planck data
 - PIP XXXII: diffuse ISM, Hessian analysis \parallel relative orientation $\parallel + \perp$ in 2 MCs

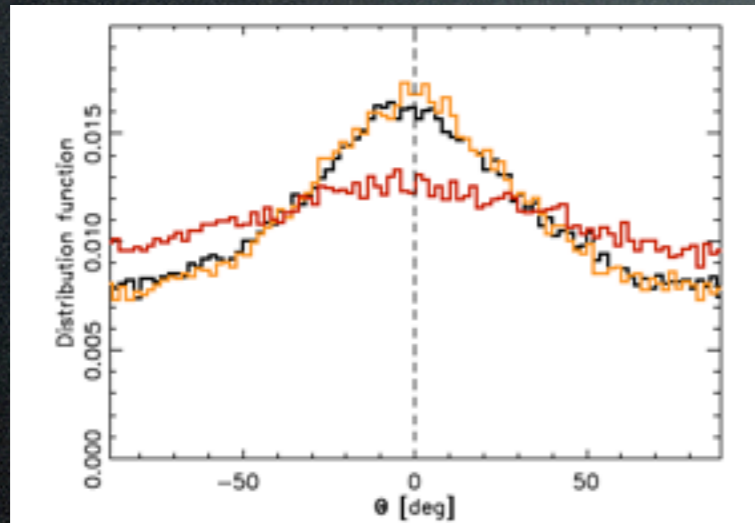
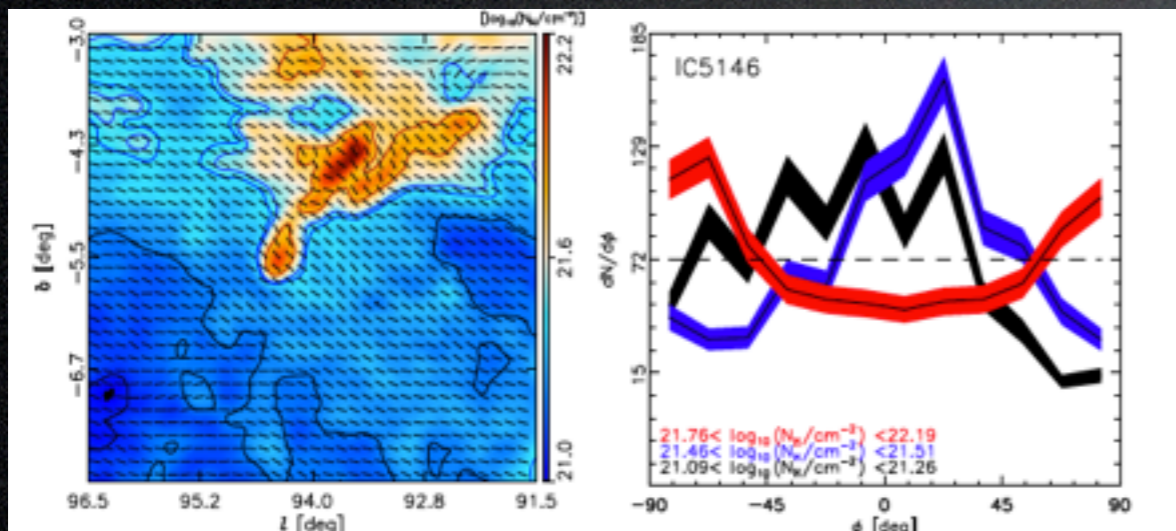


Fig. 10. Distribution function of Θ , the difference between the inferred orientation angle of the magnetic field and that of the ridges,

- PIP XXXV: 10 GB MCs, HRO (N_H contours), from \parallel to \perp with $\nearrow N_H$



- using other data
 - SMA, Zhang et al 2014: both \parallel and \perp

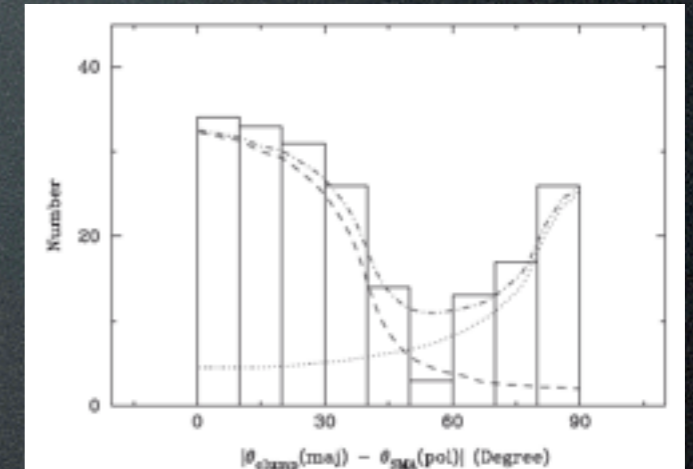
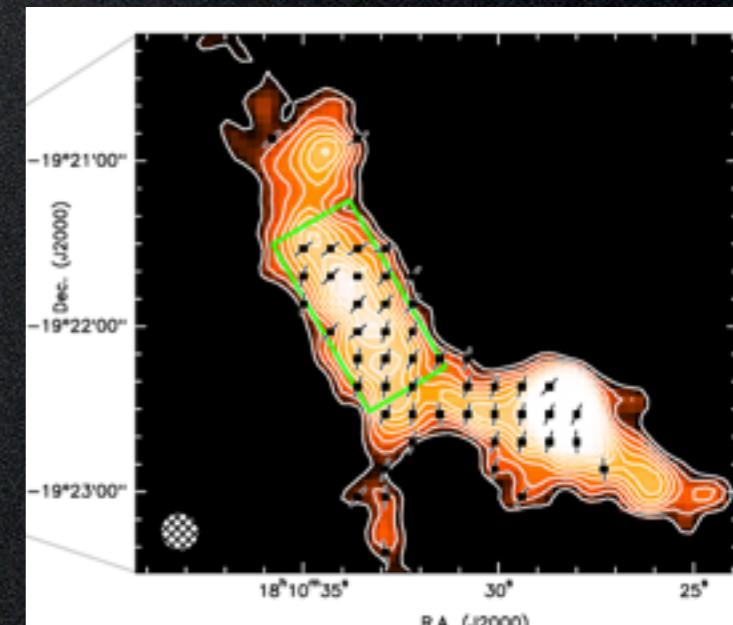


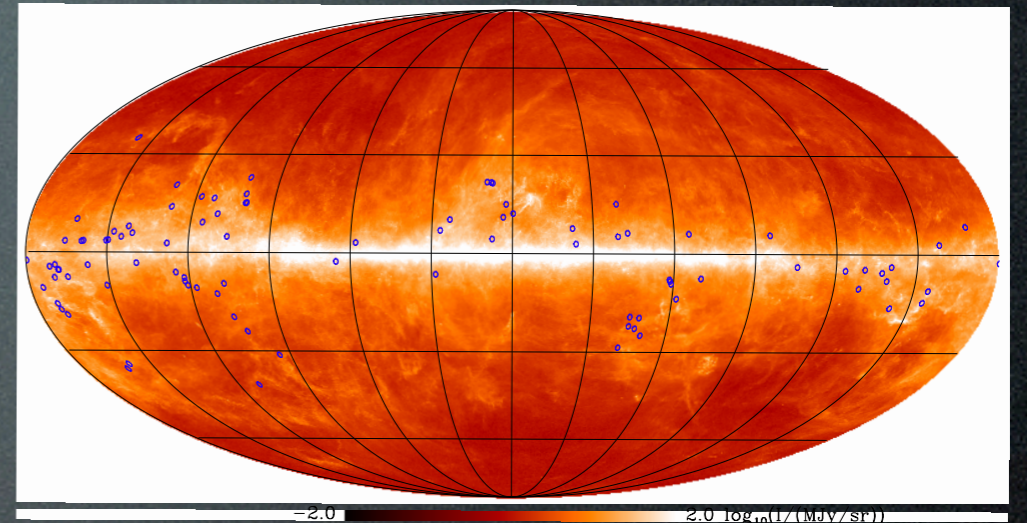
Figure 3. Difference between the major axis of the clump and dust polarization at the core scale. When the angle difference is 0°, the magnetic field is

- ScuPol (JCMT), Pillai et al 2015: \parallel in diffuse and \perp in dense part of an IRDC



Aim: statistics + clumps

- Filaments hosting PGCCs
- Clump/Filament geometrical separation
- Dependence on (N_H) environment and relative density

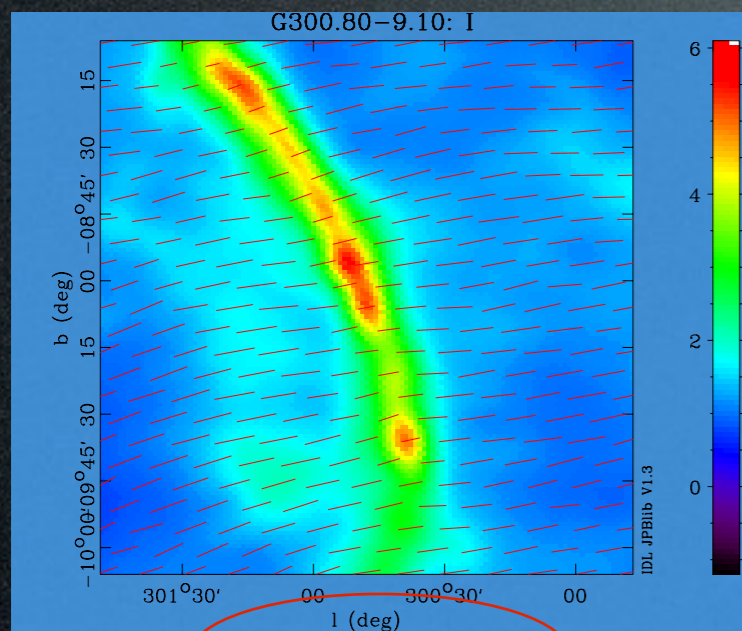


- Detection method: SupRHT
- Kernel size: 31' length, 6' width
- additional constraints on curvature

$$2^\circ \leq l \leq 60^\circ$$
$$\sigma_P = \sqrt{\sigma_Q \sigma_U} > 2$$

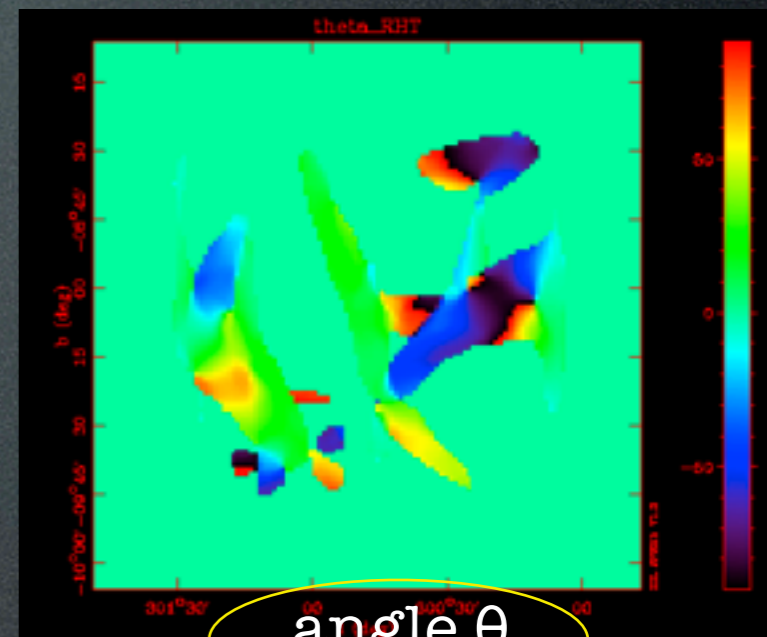
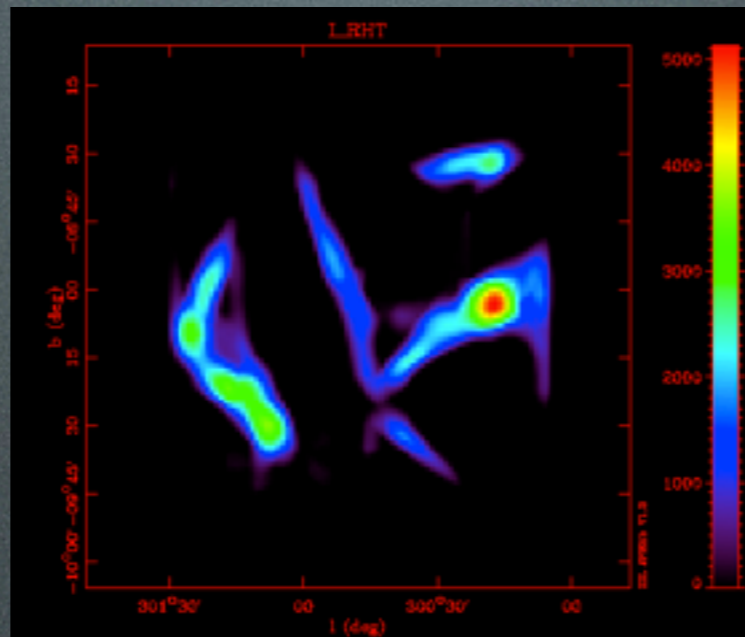
Example

Input map: $I_{353\text{GHz}}$



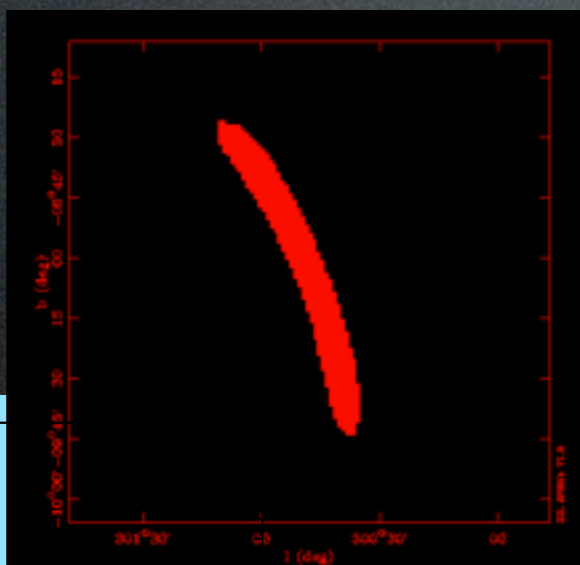
angle φ

SupRHT output maps ($+\sigma(\theta)$)

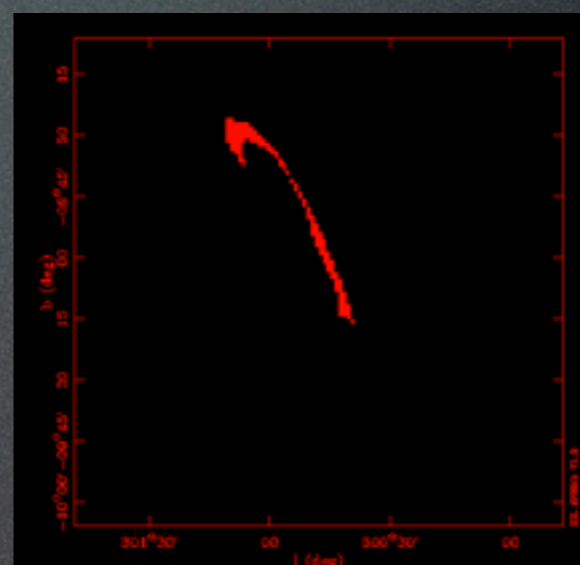


angle θ

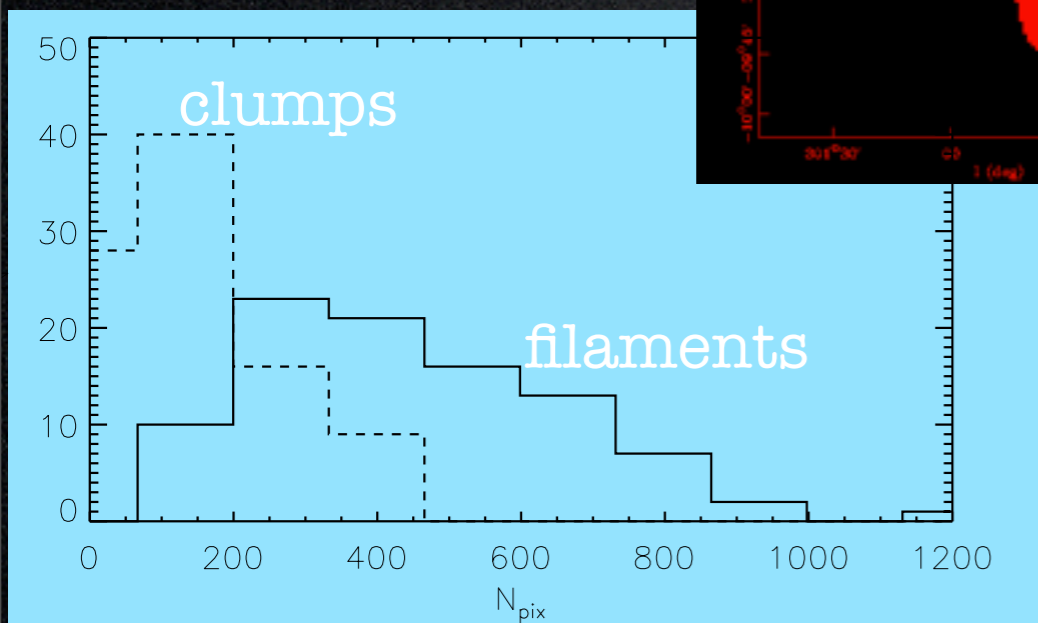
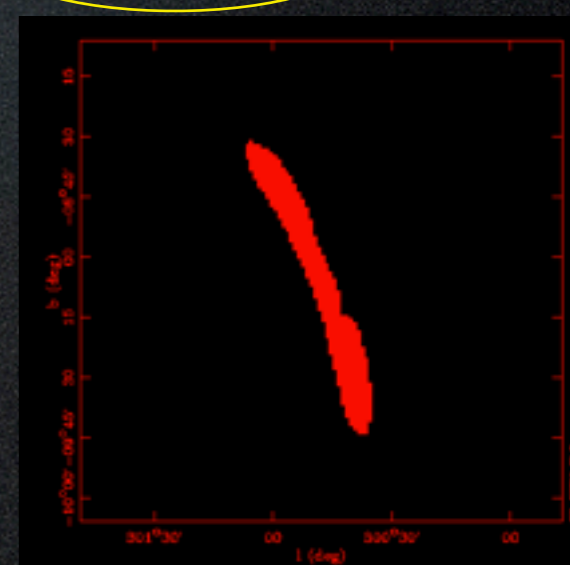
Building masks:



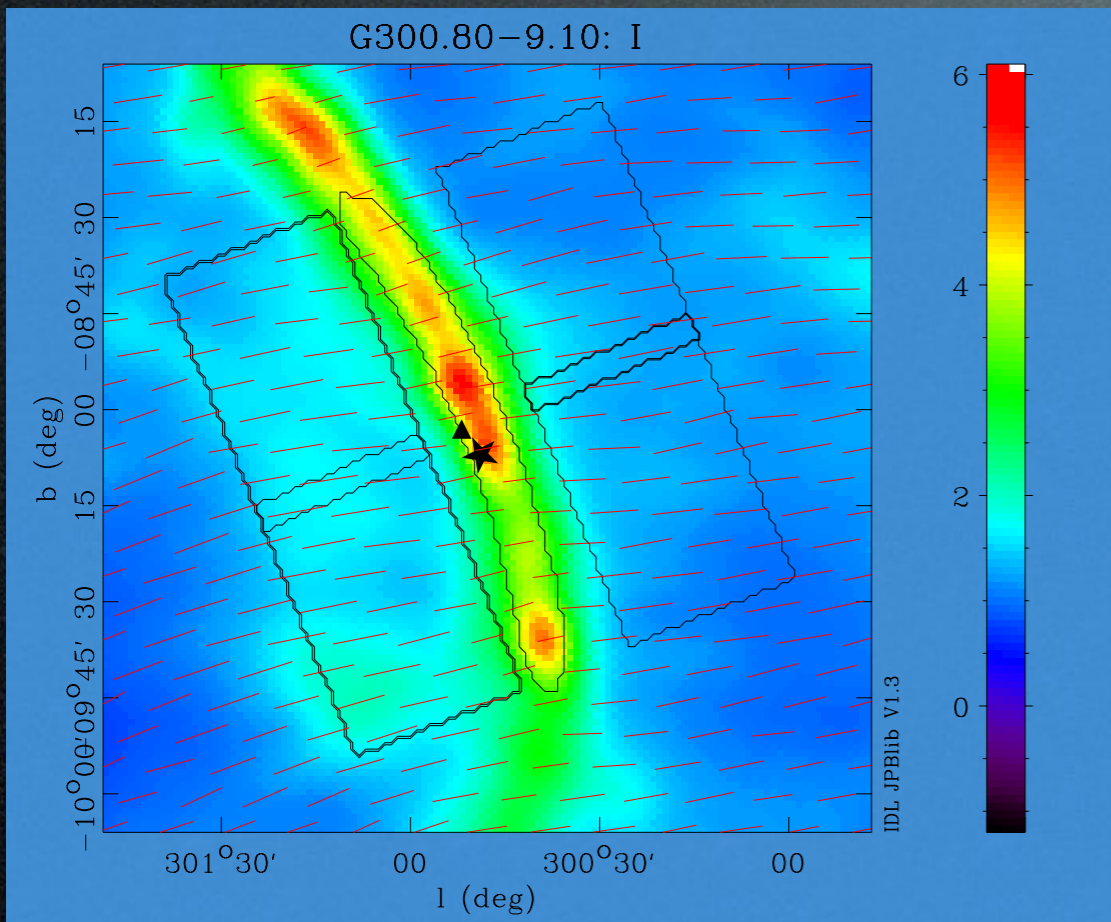
=



+



Background (Q,U) subtraction



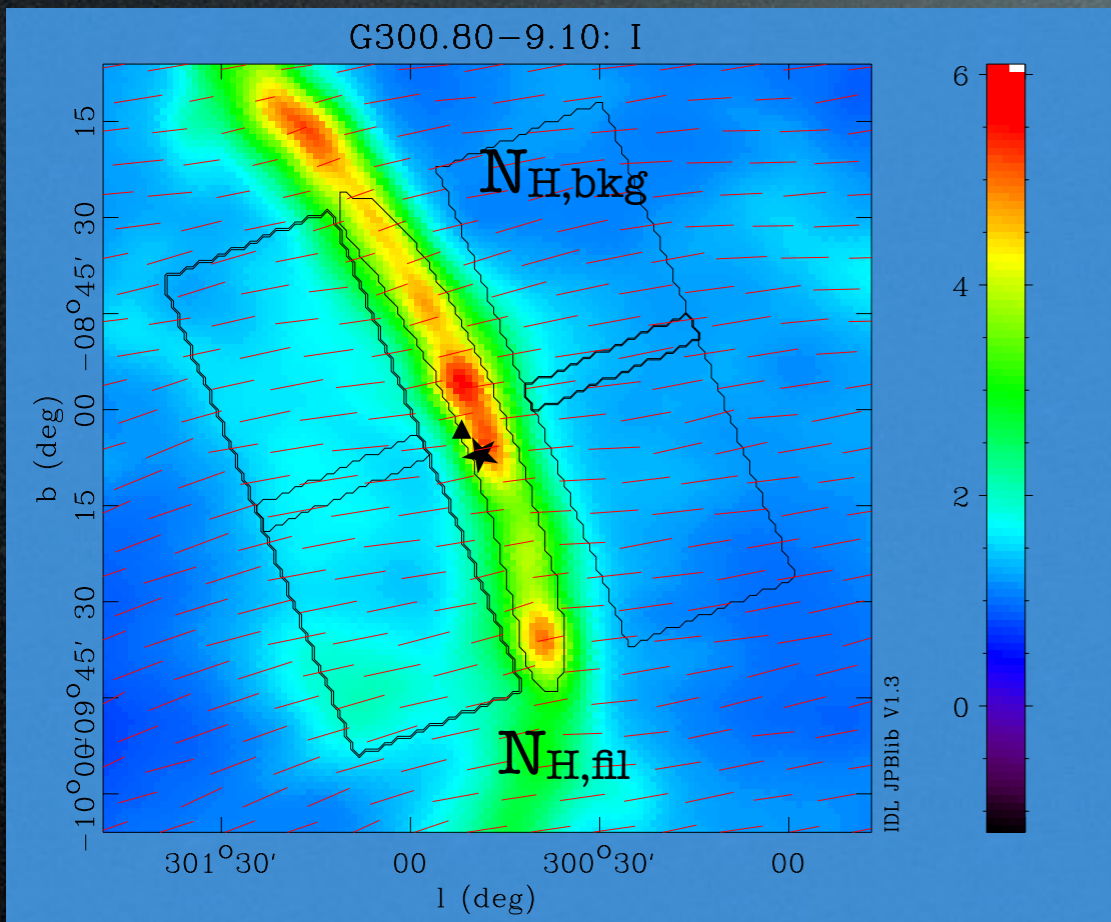
- Determine filaments with uniform background B angle (large rectangles): 92 out of 137

- Assume optically thin medium:

$$\mathbf{X} = \mathbf{X}_{\text{fil}} + \mathbf{X}_{\text{bkg}}, \quad \mathbf{X} = \{Q, U\}$$

\mathbf{X}_{bkg} averaged over small parallelograms (cuts)

N_H subsamples



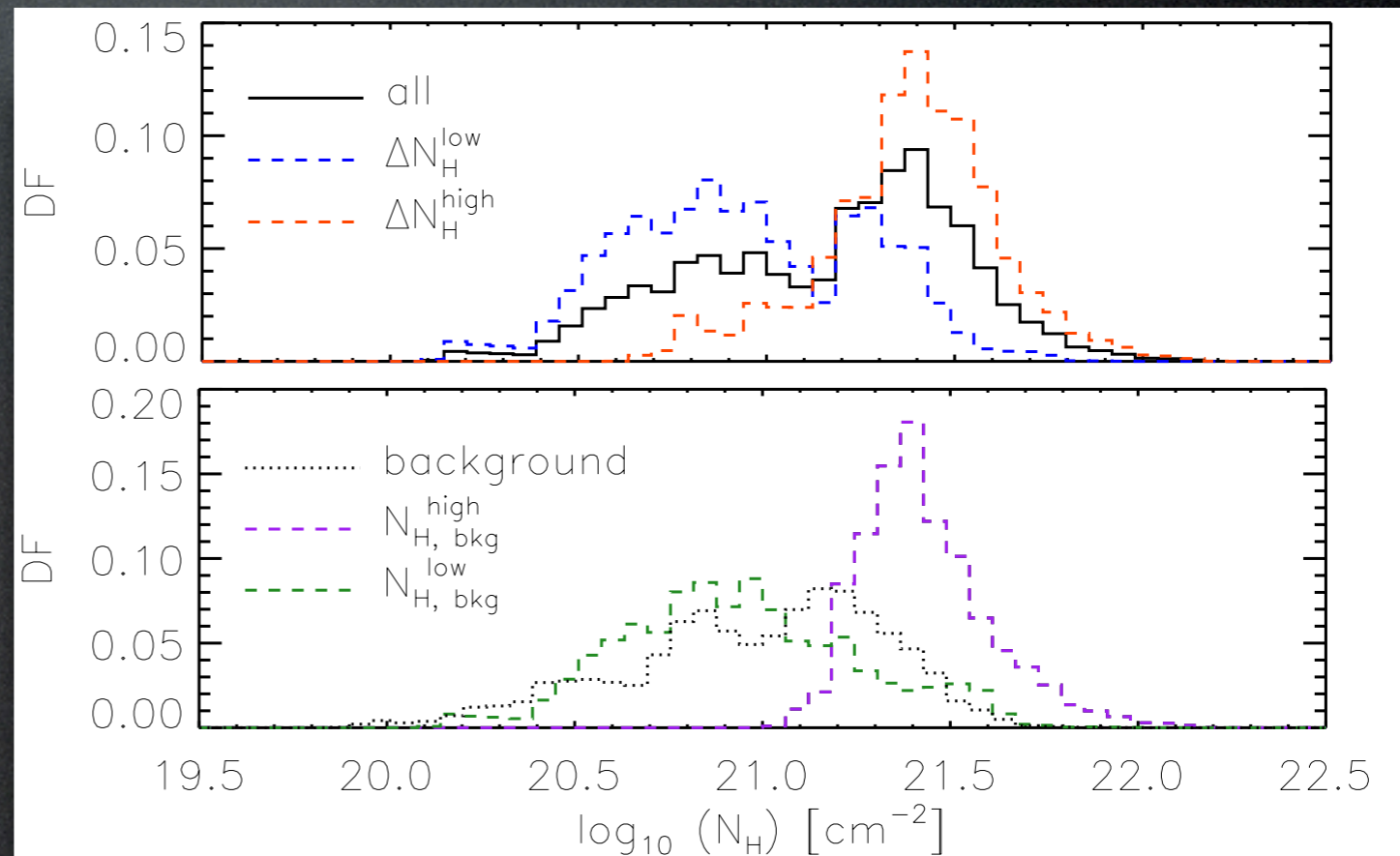
Subsamples:

	$N_{H,bkg}^{low}$	$N_{H,bkg}^{high}$	total
ΔN_H^{low}	30	15	45 (17)
ΔN_H^{high}	15	30	45 (9)
total	45 (9)	45 (17)	

$$\Delta N_H = N_{H,fl} - N_{H,bkg}$$

limits: $N_{H,bkg} = 1.2 \cdot 10^{21} \text{ cm}^{-2}$,

$$\Delta N_H = 4 \cdot 10^{20} \text{ cm}^{-2}$$

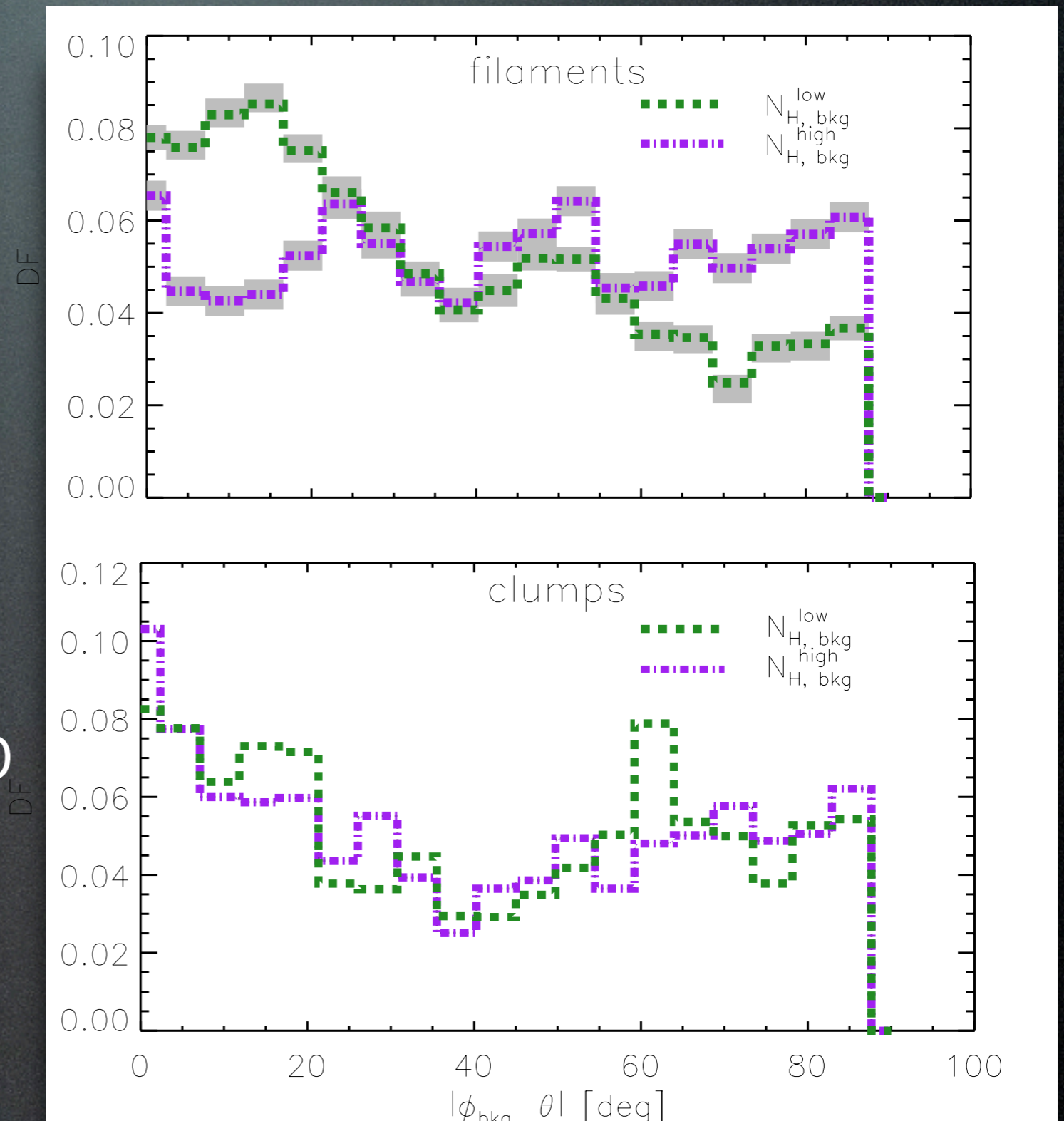


Filament vs B (background):

$$|\theta - \varphi_{\text{bkg}}|$$

background
 N_{H}
subsamples

- DF's over pixels (not filaments)
 - Mostly aligned for low $N_{\text{H,bkg}}$ filaments
 - Random for high $N_{\text{H,bkg}}$ filaments
- Mann-Whitney & Kolmogorov tests give ≈ 0
- Clumps: similar DF's (MW probability 21%)

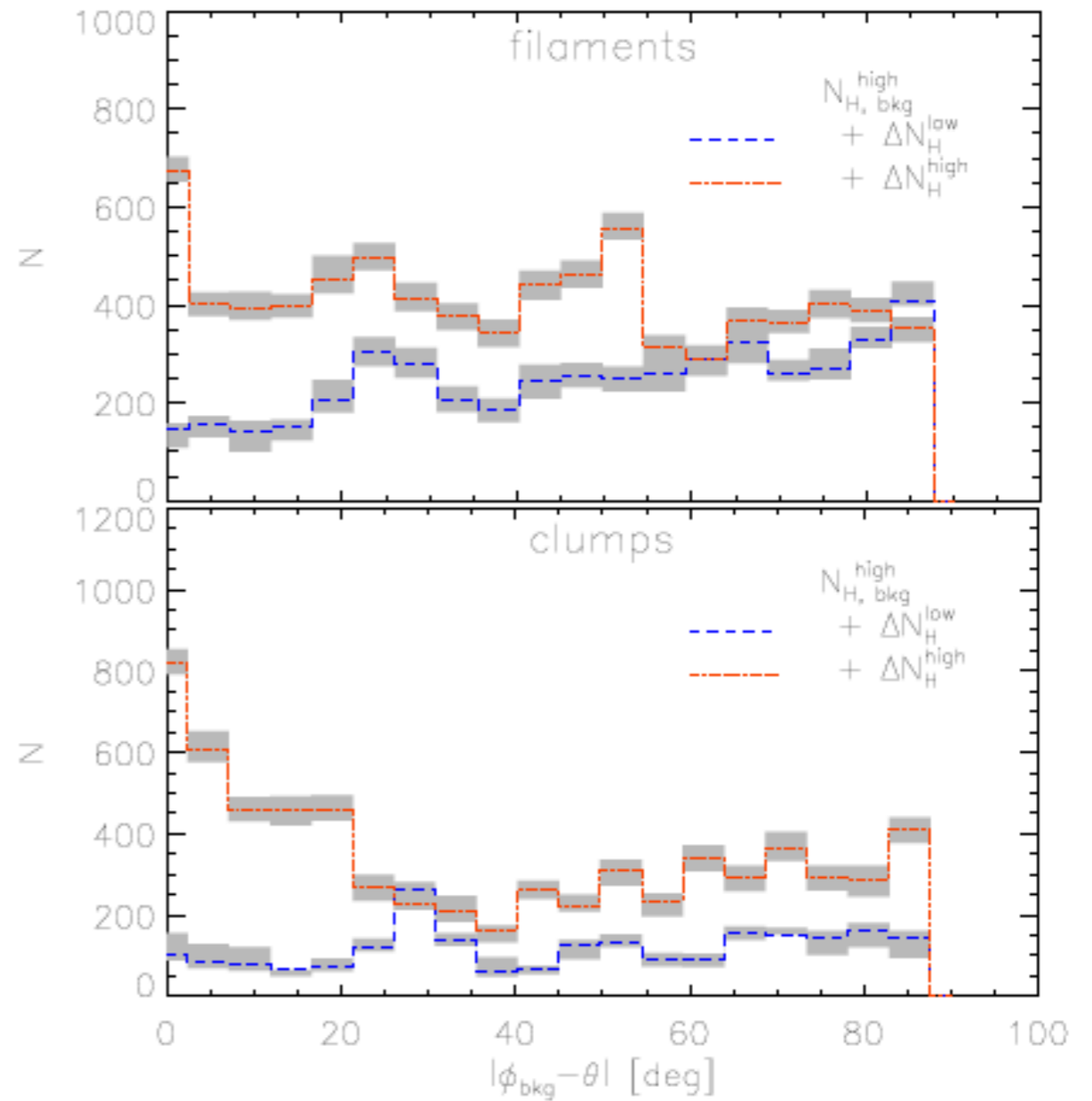
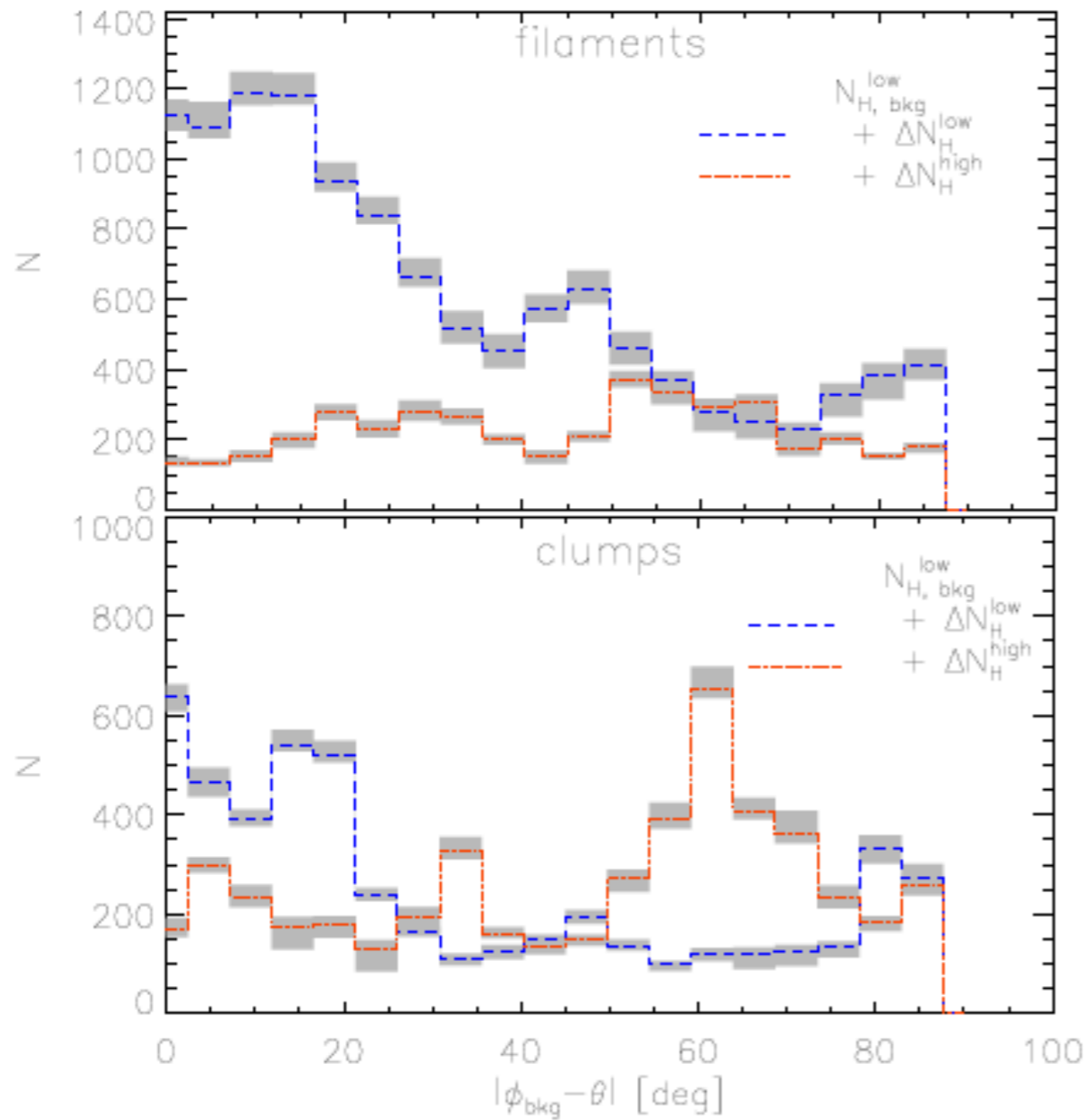


Filament vs B (background):

$$|\theta - \varphi_{\text{bkg}}|$$

background
 N_{H}
subsamples

+ ΔN_{H}
sub-
subsamples



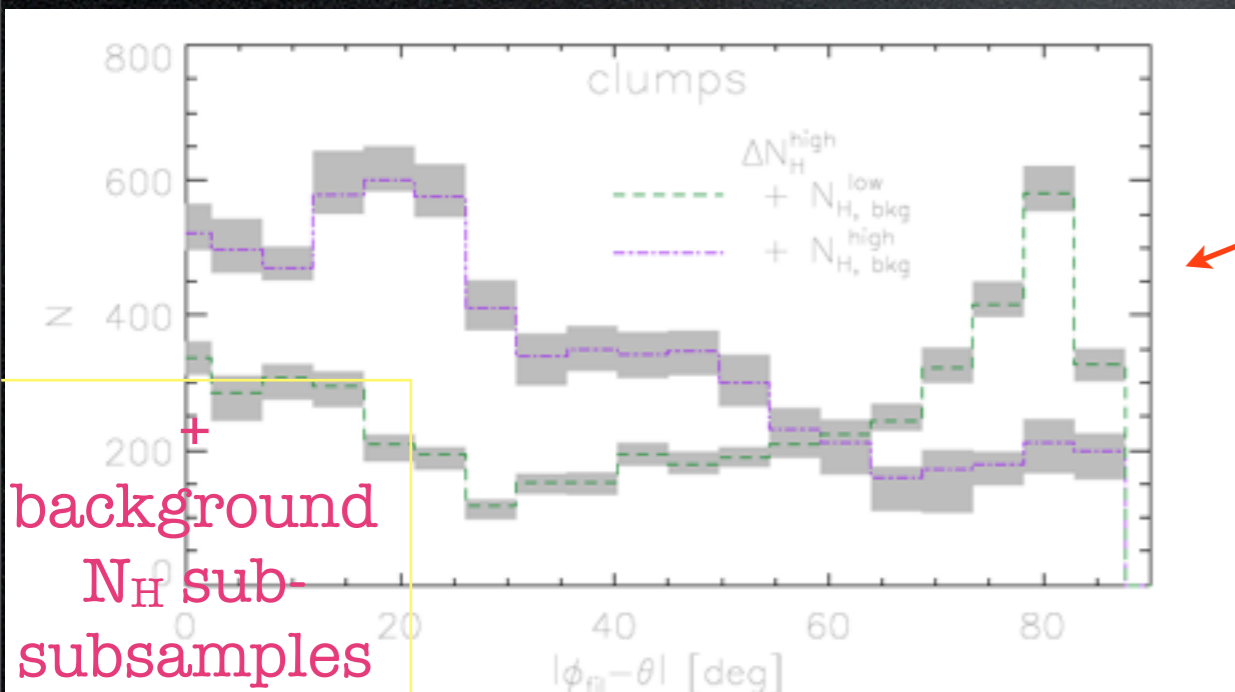
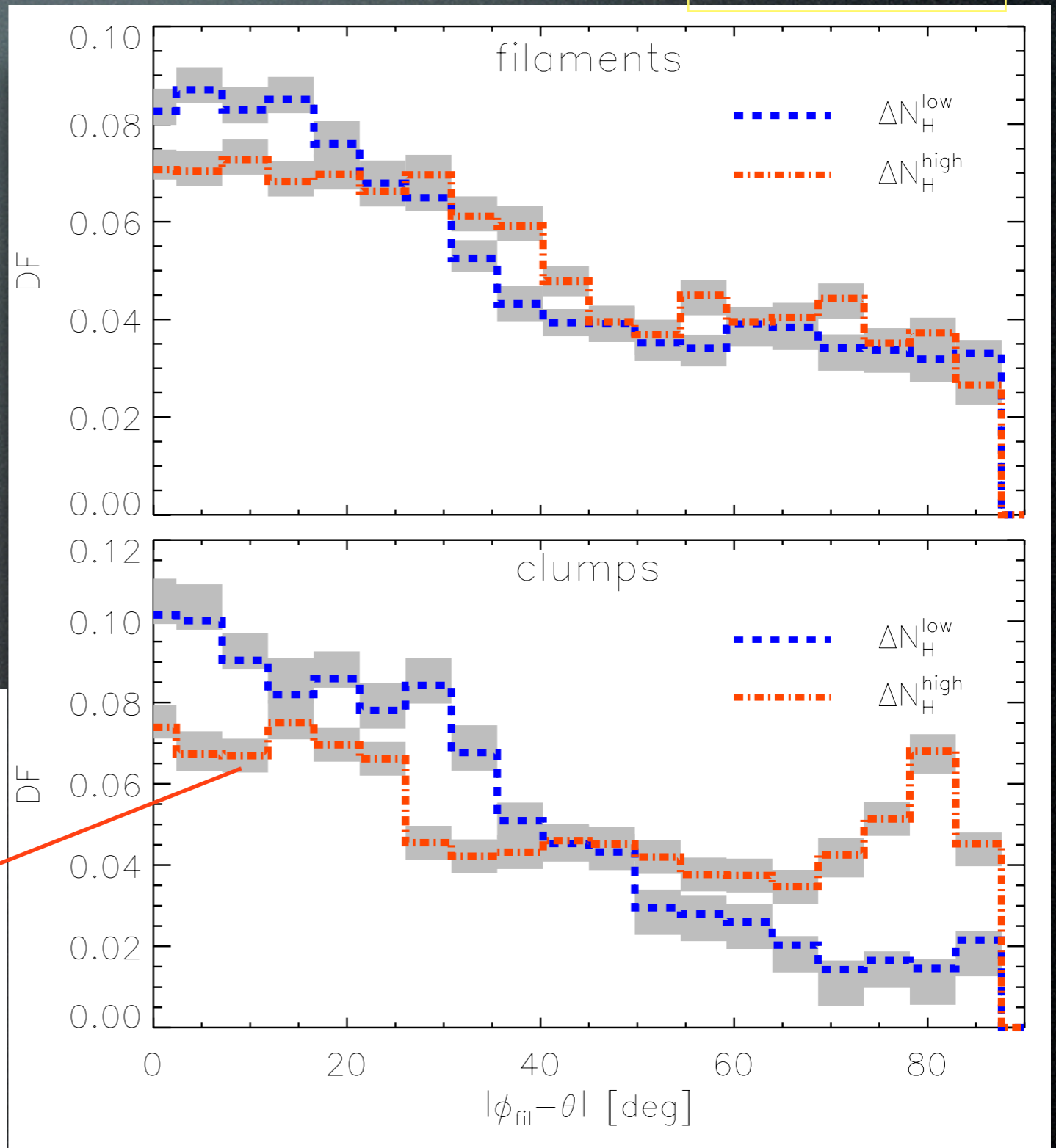
opposite
behaviors ..?

Filament vs B (in the filament):

$$|\theta - \varphi_{\text{fil}}|$$

differential
 N_{H}
subsamples

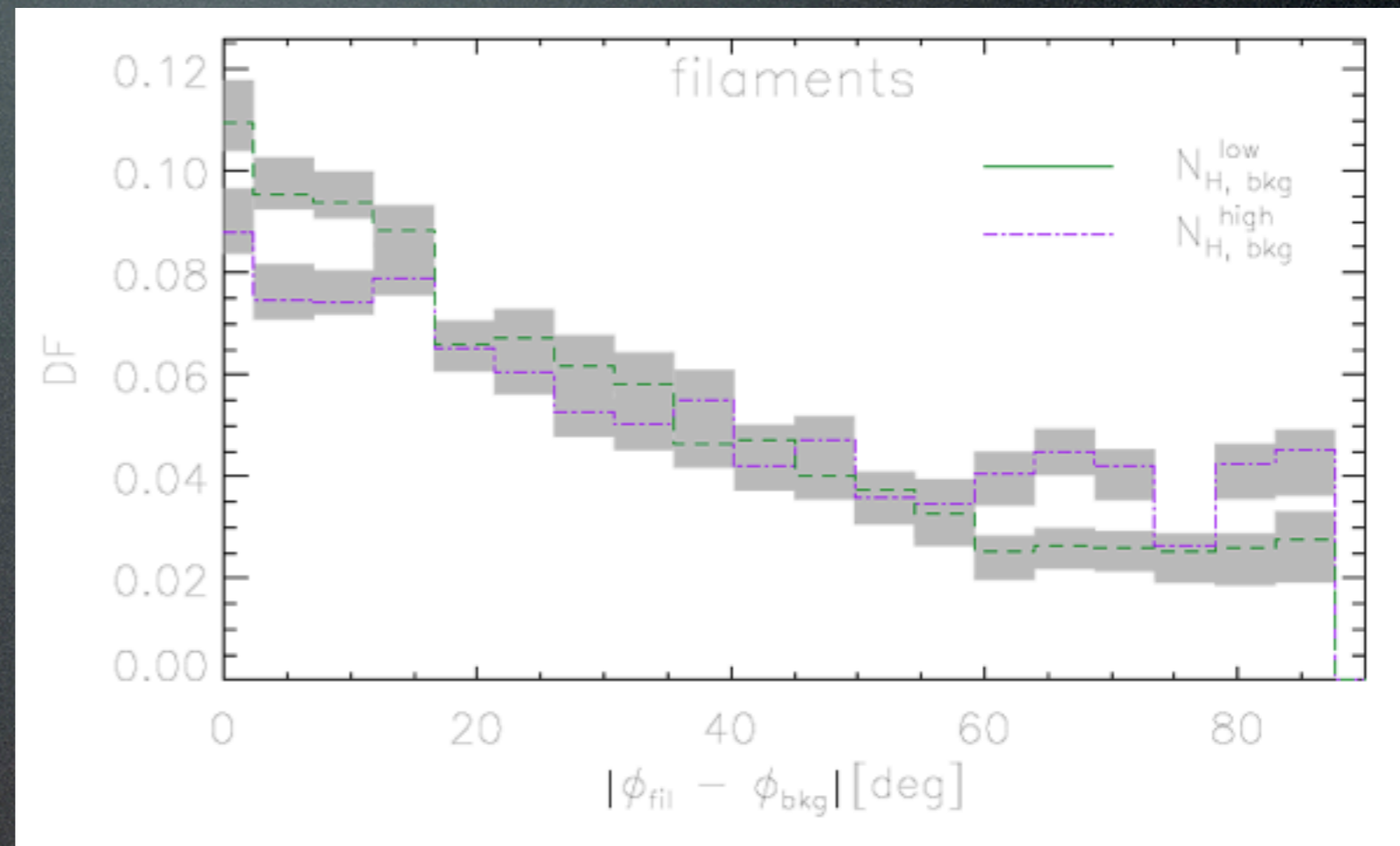
- filaments only: preferential alignment between matter and B (though projection effects)
- clumps only: clear difference between subsamples



background
 N_{H} sub-
subsamples

Filament B vs background B

- Distribution is flatter for higher column densities

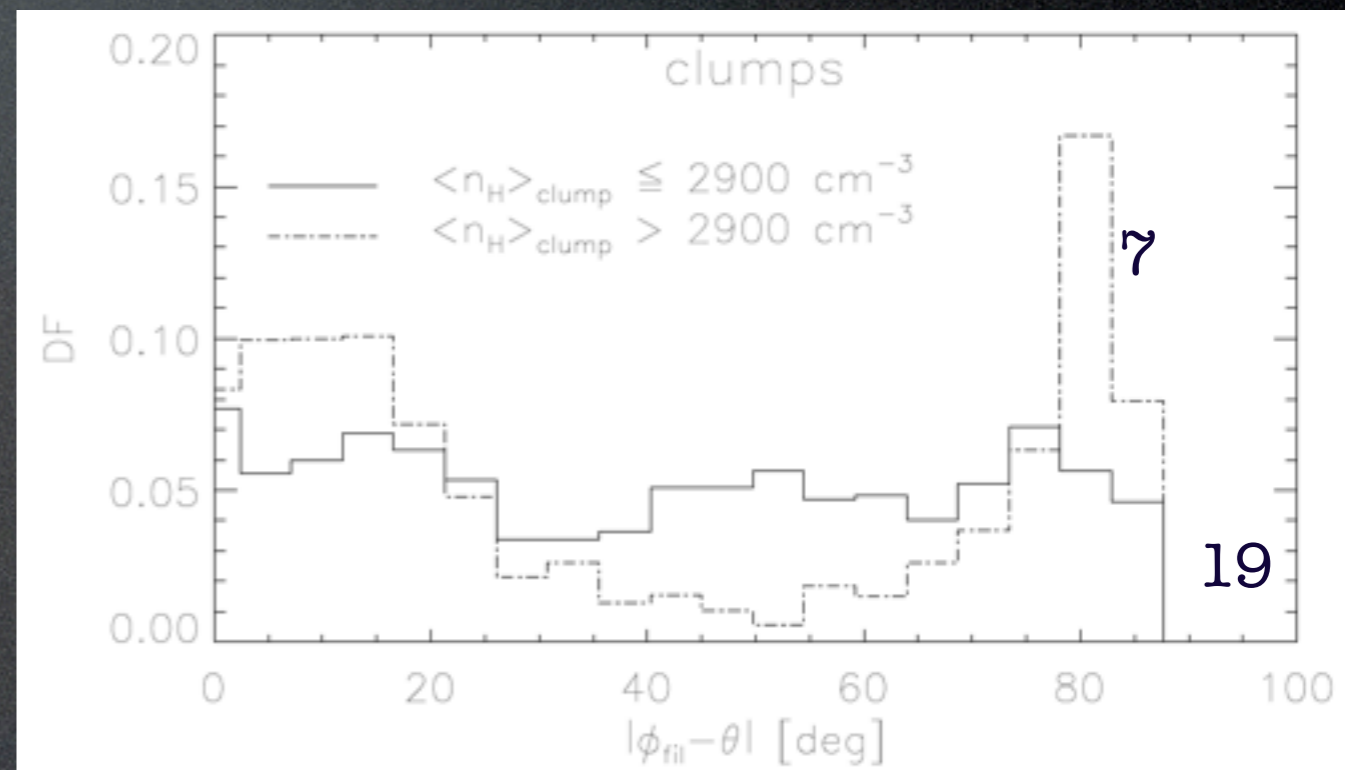
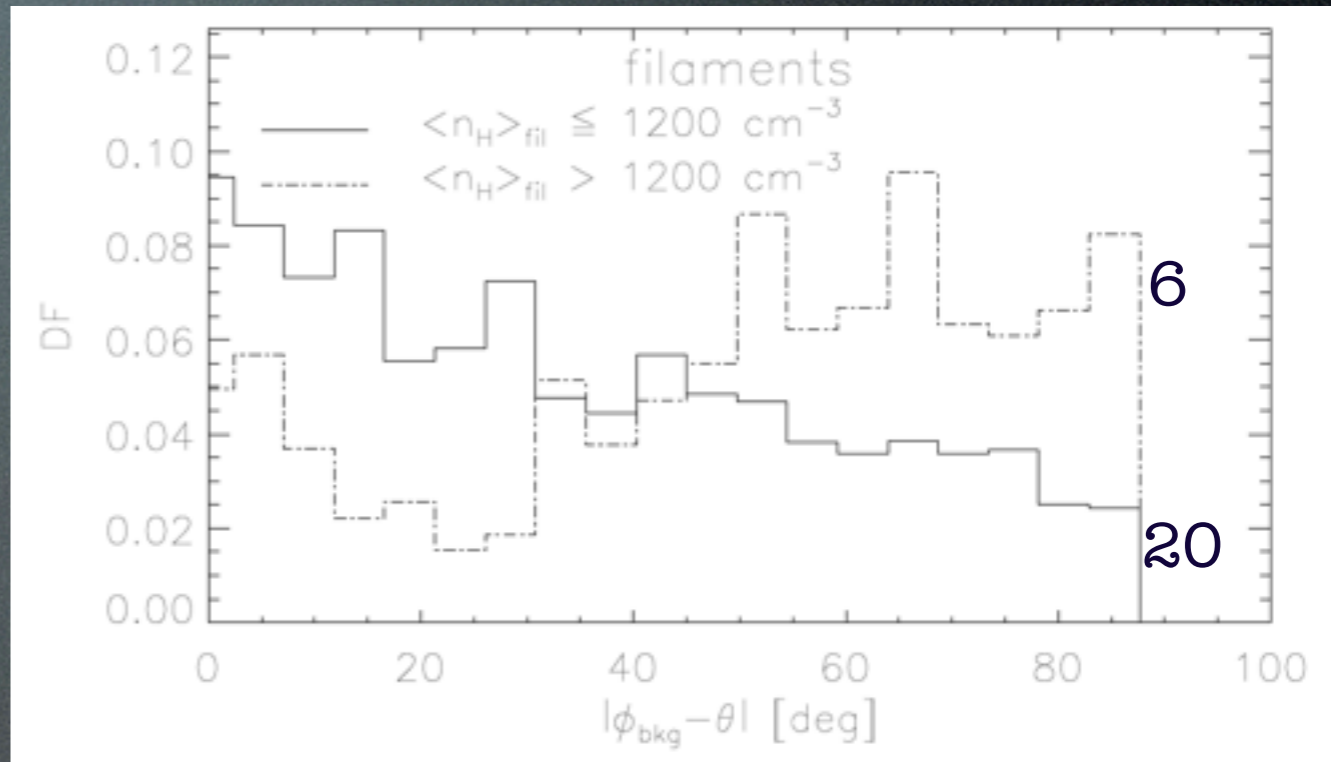


from N_H to n_H : 26 PGCCs

- $d < 500$ pc

$$\langle n_H \rangle_{clump} = \frac{3 \langle N_H \rangle_{clump}}{4R}$$

$$\langle n_H \rangle_{fil} = \frac{\langle N_H \rangle_{fil}}{2dw}$$



Conclusions

- Bimodal distribution of the relative orientation between magnetic field and filamentary structures is observed at clump scales
- Relative variation between filaments and magnetic field depends on density and evolutionary stage